

Rubrene: The Interplay between Intramolecular and Intermolecular Interactions Determines the Planarization of Its Tetracene Core in the Solid State

Christopher Sutton,[†] Michael S. Marshall,[†] C. David Sherrill,[†] Chad Risko,^{*,†,‡} and Jean-Luc Brédas^{*,†,§}

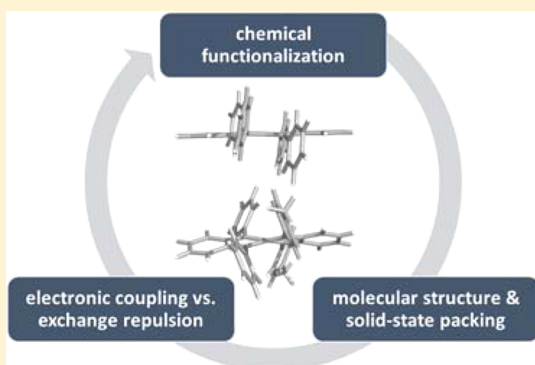
[†]School of Chemistry and Biochemistry and Center for Organic Photonics and Electronics, Georgia Institute of Technology, Atlanta, Georgia 30332-0400, United States

[‡]Department of Chemistry and Center for Applied Energy Research, University of Kentucky, Lexington, Kentucky 40506-0055, United States

[§]Solar and Photovoltaics Engineering Research Center, Physical Science and Engineering Division, King Abdullah University of Science and Technology, Thuwal 23955-6900, Kingdom of Saudi Arabia

S Supporting Information

ABSTRACT: Rubrene is one of the most studied molecular semiconductors; its chemical structure consists of a tetracene backbone with four phenyl rings appended to the two central fused rings. Derivatization of these phenyl rings can lead to two very different solid-state molecular conformations and packings: One in which the tetracene core is planar and there exists substantive overlap among neighboring π -conjugated backbones; and another where the tetracene core is twisted and the overlap of neighboring π -conjugated backbones is completely disrupted. State-of-the-art electronic structure calculations show for all isolated rubrene derivatives that the twisted conformation is more favorable (by -1.7 to -4.1 kcal mol⁻¹), which is a consequence of energetically unfavorable exchange–repulsion interactions among the phenyl side groups. Calculations based on available crystallographic structures reveal that planar conformations of the tetracene core in the solid state result from intermolecular interactions that can be tuned through well-chosen functionalization of the phenyl side groups and lead to improved intermolecular electronic couplings. Understanding the interplay of these intramolecular and intermolecular interactions provides insight into how to chemically modify rubrene and similar molecular semiconductors to improve the intrinsic materials electronic properties.



INTRODUCTION

A great challenge in the design of organic molecular materials (crystals) for electronics applications is that the intermolecular interactions that define the solid-state structure consist of weak van der Waals forces. Hence, external factors can readily influence molecular packing, with effects ranging from (random) small molecular shifts along different lattice directions to complete alterations of the crystal packing motif (polymorphism).^{1–3} Importantly, polymorphs can display markedly different electronic properties³ simply due to the variations in molecular packing.^{4,5} While the solid-state conformation and packing of organic molecules intimately depends on the growth conditions, the chemical structure plays an obvious, defining role.^{6–9}

A classic example is tetracene functionalized with phenyl rings at the 5-, 6-, 11-, and 12-positions, a compound referred to as rubrene, **1** (see Figure 1). The presence of these phenyl rings converts the typical herringbone structure found in oligoacenes to a slipped-cofacial packing of the π -conjugated tetracene backbones. For rubrene, large hole mobilities (as high

as 40 cm² V⁻¹ s⁻¹)¹⁰ arise from the strong intermolecular electronic couplings (on the order of 100 meV, as calculated with density functional theory methods)¹¹ that result from the good wave function overlap among the frontier molecular orbitals of the stacked molecular neighbors in the crystallographic *ab*-plane of the orthorhombic crystal.^{12–16} However, electronic structure calculations on isolated rubrene molecules show that the presence of the side phenyl rings makes the tetracene backbone of rubrene preferentially twist ($\sim 40^\circ$),^{17–20} which is confirmed by experimental evidence of twisted conformations both in solution^{18,21} and thin films.^{17,22} Interestingly, examination of rubrene thin films grown on Au(111) surfaces reveals that the twisted conformation is present in the initial layers and then transitions solely to the planar conformation, an indication of the decisive influence that surrounding molecules play in leading to a planar conformation in the bulk molecular structure.¹⁷

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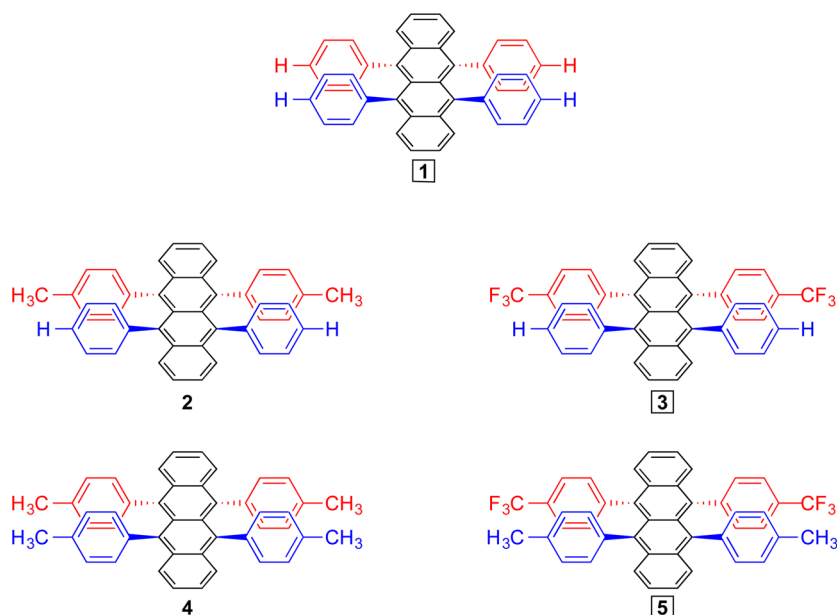


Figure 1. Chemical structures of some of the representative rubrene derivatives, **1**²³ and **2–5**,¹⁹ investigated in this study. **1**, **3**, and **5** display planar tetracene backbones in the crystal structure (indicated with boxes), while **2** and **4** are twisted. A complete list of all 13 rubrene derivatives investigated is provided in Figure S1 of the Supporting Information (SI).

It is important to underline that the twisted rubrene conformation is not exclusively found in isolated molecules and disordered solid-state materials; indeed, crystals of numerous rubrene derivatives, where the peripheral phenyl rings are substituted with, for example, alkyl, alkoxy, or fluorinated groups, indicate a seemingly random choice between twisted and planar conformations.^{21,24–26} Examples of this conformational variation are shown in Figure 1 where crystals of **1**, **3**, and **5** have planar tetracene cores, while in crystals of **2** and **4** the tetracene backbones substantially twist. Rubrene derivatives that maintain planar tetracene backbones can have intermolecular electronic couplings that even surpass that of the parent compound **1** (though their charge-carrier mobilities in single-crystal field-effect transistors currently remain below those for **1**).²⁴

For these reasons, rubrene and its derivatives provide a distinctive platform to study how chemical modification affects the competition between preferred molecular conformation and crystal packing. Here, we use a combination of density functional theory (DFT) and symmetry-adapted perturbation theory (SAPT)²⁷ to investigate the noncovalent interactions at play in rubrene derivatives. Our goal is to gain a fundamental understanding of the factors that govern the molecular and packing structures in the solid state, in order ultimately to provide a basis for the development of new rubrene-based materials. Our study focuses in particular on how intramolecular and intermolecular—in terms of exchange–repulsion, induction, dispersion, and electrostatics (with each of these terms discussed in detail in the SI)—the planarity of the rubrene backbone. We begin by examining the propensity of the tetracene backbone to twist in isolated molecules and then show how this tendency to twist can be overcome in the solid state through interactions with molecular neighbors. Implications for functionalization strategies to control bulk systems are then derived and generalized through a comparison with the oligoacene series. We also discuss the explicit relationship between repulsive exchange interactions and intermolecular electronic couplings of π -stacked materials and how conjugated

structures can be chemically modulated to bring them into closer contact.

METHODOLOGY

DFT analyses of the neutral ground states were carried out using a variety of density functionals containing empirically parametrized dispersion interactions that were found to perform well in a previous benchmark study:²⁸ B3LYP and B3LYP-D,^{23–25} IP-tuned ω B97 and ω B97-D,²⁹ and the M05-2X³⁰ functional. The choice of functional, including the inclusion of dispersion corrections, has little effect on the results (Tables S1 and S2). All geometry optimizations were performed with the cc-pVDZ basis set.³¹ Frequency analyses were performed for the optimized geometries to ensure that a minimum had been reached. Transfer integrals, t , for molecular dimers selected from the crystal structures were evaluated using a fragment orbital approach in combination with a basis set orthogonalization procedure at the B3LYP/cc-pVDZ level.^{32,33}

For the long-range corrected hybrid ω B97 functional,²⁹ the optimal range separation parameter ω (i.e., the ω value minimizing the many-electron self-interaction error) was determined following a non-empirical IP-tuning procedure,³⁴ where the difference between the highest occupied molecular orbital (HOMO) eigenvalue and the computed vertical ionization potential was minimized through the relation:

$$J(\omega) = -\epsilon_{\text{HOMO}}^{\omega} - (E_{\text{gs}}(\omega, N) - E_{\text{gs}}(\omega, N - 1)) \quad (1)$$

where $\epsilon_{\text{HOMO}}^{\omega}$ is the HOMO eigenvalue of the ground state and $E_{\text{gs}}(\omega, N)$ and $E_{\text{gs}}(\omega, N - 1)$ are the closed-shell neutral and radical-cation ground-state energies, respectively.

In order to evaluate the noncovalent interactions in terms of their exchange, induction/polarization, electrostatic, and London dispersion components, SAPT²⁷ with density fitting, to allow for efficient wave function-based computations were employed.^{35–37} We considered the so-called SAPT0 approximation, which does not include the effect of intramonomer electron correlation and therefore reduces the cost of this approach for studies on systems of large size, such as the rubrene derivatives.^{27,36} We used a truncated aug-cc-pVDZ basis set³¹ that neglects diffuse functions on H atoms and diffuse d functions on other atoms (so-called jun-cc-pVDZ).³⁸ Previously, the SAPT0/jun-cc-pVDZ approach was shown to give accurate stacking energies in noncovalent systems^{35,36} and performed well for the S22 test set of

noncovalent interactions,^{36,39} where higher-quality benchmark data are available.⁴⁰

RESULTS AND DISCUSSION

Isolated Molecules. For the isolated rubrene derivatives, we report the total energies of the fully relaxed (i.e., twisted tetracene backbone) and constrained-planar (i.e., the tetracene backbone is forced to maintain planarity) geometries evaluated via DFT calculations with IP-tuned ω B97. Results for the entire series of functionalized rubrene derivatives are provided in Table S1. Across the series, the rubrene conformation with the twisted tetracene core [$\Delta E = E(\text{twisted}) - E(\text{planar})$] is favored by ca. -2 to -4 kcal mol⁻¹ over the constrained-planar tetracene backbone, a result consistent with previous theoretical studies.^{17–21} The degree of twisting, defined as θ_B in Figure 2,

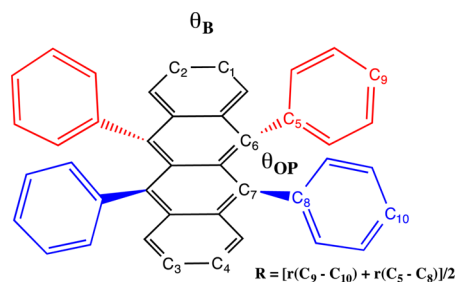


Figure 2. Drawing depicting the defined backbone [$\theta_B = (C_1 - C_2 - C_3 - C_4)$] and out-of-plane phenyl [$\theta_{OP} = (C_5 - C_6 - C_7 - C_8)$] torsions in the rubrene systems under investigation. The definition of the separation between phenyl rings, given by the average distance R between the two carbons in the *para* positions (C_9 and C_{10}) and the two carbons directly connected to the tetracene backbone (C_5 and C_8), is also provided.

falls between 30° and 40° . The nearly equivalent energy differences across the series between the (constrained) planar and (relaxed) twisted backbones indicate that the exact nature and positions of the substituents on the phenyl rings seem to have only a small effect on the energetics of the molecular structure. We note for an isolated tetracene molecule that the planar conformation is some 5 kcal mol⁻¹ (Table S5) more stable than conformations with twists similar to those in rubrene;⁴¹ hence, the tetracene backbone finds itself in a highly unfavorable conformation in rubrene.

To detail the physical mechanisms at play that enforce the higher-energy twisted tetracene conformation, we focus on molecules 1–5 (Figure 1), which are representative of the entire series. We note that 2 and 4 are substituted solely with electron-donating methyl groups, while 3 and 5 are analogous molecules, where one pair (*syn*-arranged) of methyl groups is replaced with perfluoromethyl groups. As noted above, these molecular pairs illuminate critical differences in terms of the molecular conformations found for isolated and solid-state rubrenes.¹⁹ While all of these molecules have similar (twisted) isolated-molecule structures, 2 and 4 maintain the twisted tetracene conformation in the crystal while the tetracene backbones in 3 and 5 take on a planar conformation similar to that of the parent compound 1. At the molecular level, one might expect *a priori* increased steric interactions in 4 and 5 and more distorted structures when compared to 2 and 3, as the former are *para*-substituted on all four phenylene rings. However, neither the degree of twisting nor the energy differences between the planar and twisted conformations

follows this expectation: The backbone twists for 1–5 fall within 2° of each other, and the energy differences are within 0.4 kcal mol⁻¹ (less than $k_B T$ at room temperature).

We hypothesize that noncovalent intramolecular interactions among the side phenyl groups in part lead to the lowest-energy, twisted conformation for isolated rubrene derivatives. To assess this point, SAPT0/jun-cc-pVDZ calculations^{27,31,36,38} (simplified throughout the remainder of the discussion as SAPT0) were employed. Here, we thus focus solely on phenyl pairs that are extracted from the tetracene backbone with the dangling bonds on the phenyl groups terminated with hydrogen atoms. This allows us to evaluate the noncovalent interactions among the 5-/6- and 11-/12-position phenyl pairs (Tables S3 and S4).

Before we discuss the energetics of the phenyl-pair interactions in rubrene, it is instructive to recall previous SAPT0 calculations on model, cofacial benzene dimers³⁷ with varying electron-poor and electron-rich substituents. At a constrained interplane separation of 3.0 Å, the very close molecular contacts lead to highly unfavorable exchange–repulsion energies, which average +46 kcal mol⁻¹ across all dimers considered; this value is nearly twice as large as the stabilizing dispersion terms and three times as large as the stabilizing electrostatic terms (we note that induction only provides a modest degree of stabilization).³⁷ The total SAPT0 interaction energy energies (i.e., summation of all four interaction energies) average +8 kcal mol⁻¹, a result that reveals that the benzene dimers, regardless of the substituent, do not want to lie in such close proximity. Indeed, the minimized (equilibrated) distances for the benzene dimers considered by Hohenstein, Duan, and Sherrill are on the order of 3.7 Å;³⁷ at this distance, the dispersion, permanent electrostatic, and induction forces are able to more than counterbalance the repulsive exchange force, leading to overall favorable intermolecular interaction energies (on average -4 kcal mol⁻¹).

Returning to the rubrene structures, the phenyl pairs anchored to the central rings of the tetracene backbone are constrained to an intermolecular separation (based on interatomic distances) of approximately 3 Å (see Figure 2) at their closest point of contact, as with the benzene dimers in ref 37. However, to mitigate as much as possible the highly unfavorable exchange interaction at such a close distance, the phenyl rings move away from the cofacial arrangement of a perfect D_{2h} conformation through two actions: First, the phenyl rings slide by each other to give an angle θ_{OP} (defined in Figure 2) of 30 – 35° in the fully minimized structures depending on the functionalization; in the constrained-planar rubrene structures, this motion is limited to 18 – 28° . The phenyl rings also splay out from each other, i.e., the carbon atoms on the exterior of the phenyl rings are further away from each other than those appended to the tetracene backbone, such that the intermolecular separation (by averaging atomic contacts) is 3.5 Å.

Therefore, for all phenyl pairs extracted from the rubrene derivatives (Figure 3), the repulsive exchange energy is ca. +20 to +23 kcal mol⁻¹; this energy remains nearly twice as large as the dispersion and three times as large as the electrostatic energies. While these relative values are consistent with those for the benzene dimers at 3 Å, they are in absolute values about half as large as in the constrained 3 Å situation in ref 37 due to the average distance in the phenyl pairs being larger than 3 Å. In addition, the total intermolecular interaction energies for the phenyl pairs range from -4.7 kcal mol⁻¹ (i.e., an overall

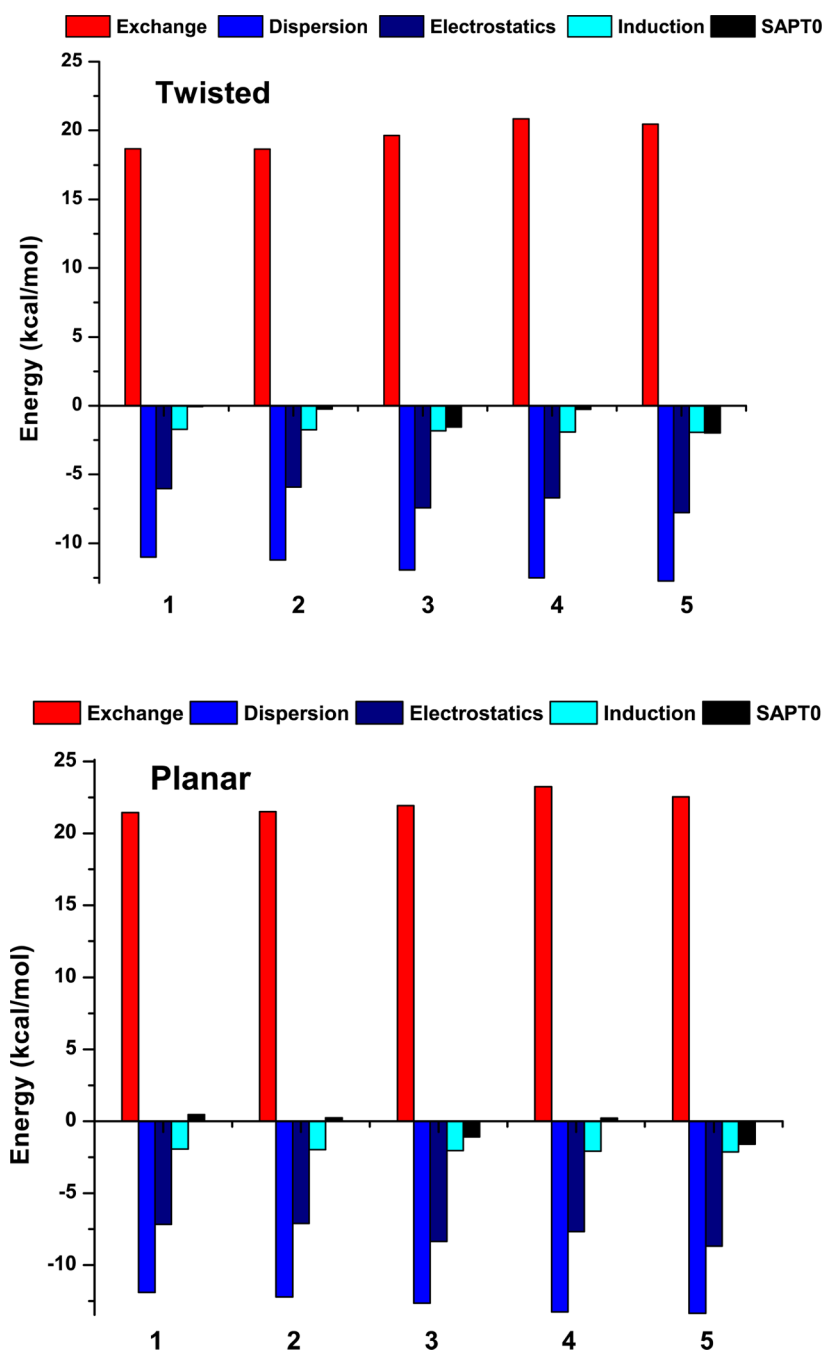


Figure 3. SAPT0/jun-cc-pVDZ computed exchange (red), dispersion (royal blue), electrostatic (navy blue), and induction (light blue) components for phenyl dimers extracted from [top] fully relaxed twisted and [bottom] constrained-planar geometries at the IP-tuned ω B97/cc-pVDZ level of theory. The total SAPT0 interaction energy (black) is also shown.

favorable interaction) to $+0.45 \text{ kcal mol}^{-1}$ (i.e., an overall [very small] unstable interaction), depending on the exact nature of the substituents, see Tables S3 and S4. Interactions between phenyl pairs are always more favorable in the twisted conformation than in the constrained planar conformation for every derivative considered.

We can now understand at least one major reason why isolated rubrene derivatives twist: The phenyl rings contort (slip and splay) themselves to mitigate the repulsive exchange interactions. Even though similar movement is seen for phenyl groups in the constrained-planar and fully relaxed structures, the rubrene twisting remains favorable by -2 kcal mol^{-1} , as it allows the phenyl rings located on the same side of the

tetracene core to slide even further by each other, saving some $-0.5 \text{ kcal mol}^{-1}$ per phenyl pair. Across the rubrene derivative series, the total SAPT0 intermolecular interaction energies are more stable for the phenyl pairs coming from the fully relaxed, twisted conformations; the main stabilization arises from a reduction of the exchange energy by some 3 kcal mol^{-1} in the more twisted structures, though the dispersion and electrostatic terms also decrease by 1 kcal mol^{-1} with increased twisting.

It is interesting to note that the rubrene parent compound **1** has the most unfavorable intramolecular phenyl–phenyl interaction energy among the systems studied. This result brings the important point that substitutions can act to stabilize the intermoiety interactions between the phenyl groups, which

is consistent with earlier findings that substituents tend to stabilize π - π interactions, at least in cofacial arrangements.⁴² In general, substitution with electron-withdrawing groups (3 and 5 [7, 8, and 12 in the SI]) leads to more favorable interactions among the phenyl pairs as compared to those substituted with electron-donating substituents (2 and 4 [6, 9, and 10 in the SI]). Comparing the fluorine-substituted derivatives 11 (tetra-[*para*-fluorophenyl]), 12 (bis[perfluorophenyl]), and 13 (tetra-[perfluorophenyl]), the interaction between the electron-rich phenyl ring and the electron-poor perfluorophenyl ring (in 12) is much more favorable electrostatically than the interaction between two fluorophenyls (11) or two perfluorophenyls (13), contributing to an overall stabilization of the interaction by 2 to 2.5 kcal mol⁻¹ (in either the constrained-planar or twisted geometries).

To summarize at this stage, the twisted conformations are the most energetically stable for the isolated molecule as they contribute to reduce the repulsive exchange term among the phenyl substituents. It is interesting to note that, for diphenyl-substituted tetracene backbones, where the substitution is made on the same side (5- and 6-positions, Figure S2 and Table S5) or opposite sides (5- and 12-positions, 5- and 11-positions), the tetracene cores in these systems do not twist. Although a positive SAPT0 interaction energy is derived for the phenyl pairs of the 5,6-di[phenyl], 5,11-di[perfluorophenyl], and 5,12-di[perfluorophenyl] substituted tetracene derivatives, the destabilizing driving force is not large enough to twist the tetracene backbone. Therefore, twisting of the backbone in rubrene derivatives results from the cumulative effect of having two pairs of phenyl groups that need to minimize their exchange repulsion energies and do so by contorting their conformations.

Solid-State Structures. We now turn our attention as to why certain rubrene derivatives take on a planar tetracene conformation in the solid state. X-ray crystallography measurements show that the tetracene cores of 1, 3, 5, 7, and 10 (substituted with di-*t*-butyl groups) are planar in the crystal, while functionalization with methyl groups (2, 4, and 6) or *t*-butyl groups on diagonal arylenes (9) results in a twist of 30–40°. SAPT0-based analyses of the side phenyl pairs extracted from the molecular conformations found in the crystals reveal that all of the intramolecular interactions are globally unfavorable (with the exception of 7, Table S6). Hence, there is no specific stabilization of the intramolecular phenyl-phenyl interactions in the solid state (compared to the isolated molecules) to assist in planarizing the tetracene core. Importantly, this result points to intermolecular interactions with neighboring molecules in the solid state as the contributing factor.

To address this question, the SAPT0 methodology was used to examine the intermolecular interactions among the four unique nearest neighbors (see Figure 4 and Tables 1 and S7) of five solid-state planar rubrene derivatives (1, 3, 5, 7, and 10) using their respective crystalline geometries. Starting with the π -stacked dimer pair (labeled 1–2 in Figure 4), Table 1 again shows that the destabilizing exchange term is large, a direct consequence of the considerable wave function overlap within the dimers (*vide infra*). However, the presence of significant stabilizing dispersion terms leads to an overall stable interaction energy of -21.36 kcal mol⁻¹ for 1; this stabilization even goes up to -23.63 kcal mol⁻¹ for both 5 and 10, a result, at least in part, of the increased dispersion coming from the smaller stacking distance.

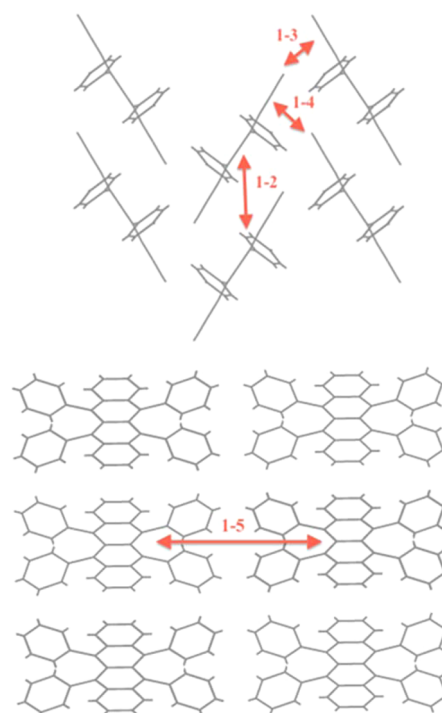


Figure 4. Diagrams of the molecular packing in rubrene (1) along the π -stacking plane (top) and along the long *a*-axis of the crystal structure (bottom). Dimers, as labeled, were extracted for SAPT0 analysis. All results are reported in Table S7.

An important consequence is that, as the π -stacking distance decreases and the electronic coupling increases (an established design criterion for organic electronic materials),⁴³ the exchange energy very strongly increases due to the enhanced wave function overlap. This relationship is readily observed in a model cofacial tetracene dimer (Figure 5, bottom), which points to a major upturn in exchange energy at intermolecular separations (3–4 Å) of interest for π -stacked organic materials. Thus, there exists an inherent limit, due to the destabilizing exchange energy, in the maximum electronic couplings achievable in π -stacked organic semiconductors. The connection between exchange energy and electronic coupling is also observed in the case of the model tetracene dimer when the top molecule is displaced laterally along its long axis; the exchange energy follows a similar oscillatory pattern as the one observed for electronic coupling because of the phase of the frontier π orbitals.⁴³

When considering material design, an important aspect is that the destabilizing exchange term can be offset through chemical functionalizations that act to increase the stabilizing components of the noncovalent interactions. This is most evident through a comparison of the π -stacked intermolecular interactions in 5 and 1. For 5, there is a 21% increase in the exchange energy (and 25% increase in the electronic coupling) as compared to 1, which can be attributed to a smaller backbone-to-backbone stacking distance (3.48 Å in 5 vs 3.67 Å in 1); however, there is also a 12% increase in dispersion, 13% increase in induction, and 35% increase in electrostatic energies. Hence, large wave function overlap (and electronic coupling) through decreased backbone-to-backbone stacking distances can be obtained by mitigating the necessary accompanying upsurge in exchange repulsion through increasing the dispersion, electrostatic, and induction terms. Fluorination,

Table 1. SAPTO/*jun-cc-pVDZ* Comparison of the Electrostatic, Exchange, Induction, And Dispersion Components of the π -Stacked Rubrene Dimer Pairs (labeled 1–2 in Figure 4) for 1, 3, 5, 7, and 10, as Extracted from the Crystal Structures^a

system	D_{1-2} (Å)	t	elst.	ind.	disp.	exc.	SAPTO
1	3.665	2.33 [101]	-3.24	-1.39	-30.87	+14.14	-21.36
3	3.52	2.91 [126]	-4.38	-1.49	-33.59	+16.52	-22.94
5	3.48	3.09 [134]	-5.00	-1.60	-34.95	+17.93	-23.63
7	3.60	2.24 [97]	-2.34	-1.13	-28.18	+11.94	-19.71
10	3.53	2.84 [123]	-4.28	-1.54	-34.05	+16.24	-23.63
2		0.22 [10]	-4.27	-1.14	-19.16	+10.03	-14.55
4		0.21 [9]	-7.91	-2.13	-32.64	+17.32	-25.36

^aElectronic couplings (t) are also provided as determined at the B3LYP/*cc-pVDZ* level of theory. D_{1-2} is the distance between the planes derived from the tetracene backbones. Dimer interactions for the twisted structures of 2 and 4 are also given for comparison. All energies in kcal mol⁻¹ except those between brackets, which are given in meV.

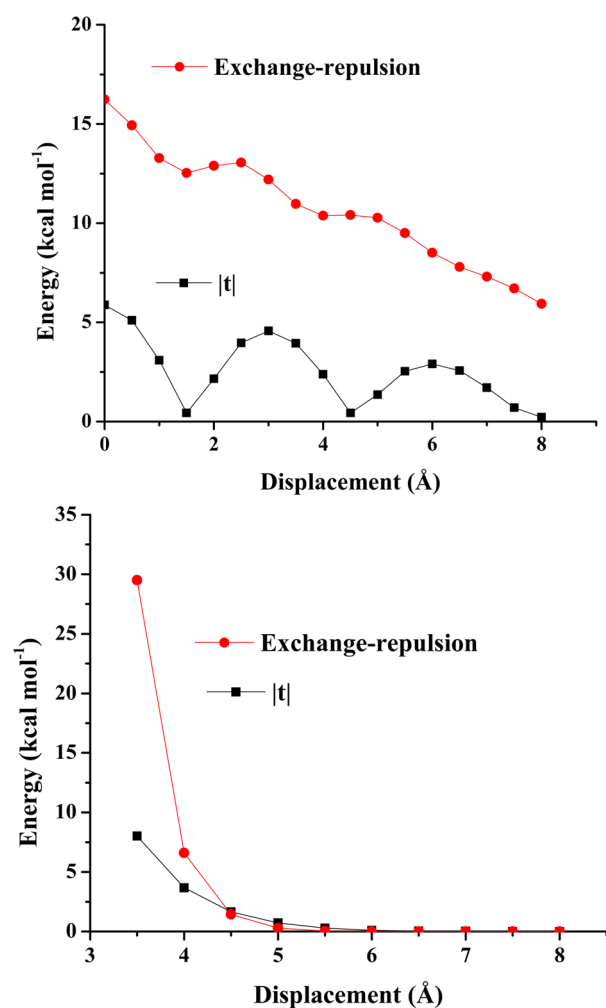


Figure 5. Evolutions of the computed exchange–repulsion energies and HOMO–HOMO electronic couplings (t , at the B3LYP/*cc-pVDZ* level) for a model cofacial dimer of tetracene, as a function of: (bottom) increasing intermolecular separation and (top) displacement of one of the molecules in the dimer along its long axis.

often used as a means to inductively influence oxidation and reduction potentials, could also be exploited as an effective way to increase the stabilizing noncovalent interactions. The presence of bulky alkyl groups, as in the *t*-butyl groups of 10, can also be beneficial (when not sterically preventing close contacts) as they can substantially increase dispersion interactions. Analogous functionalization of pentacene by bis(triisopropylsilylethynyl) (TIPS) groups converts the typical

herringbone-packing motif of the unsubstituted system to lamellar, π -stacked structures.⁴⁴ (This is consistent with earlier SAPTO calculations for pentacene at the TIPS-pentacene crystal structure [i.e., without explicit consideration of the TIPS groups], which indeed show a large decrease in the dispersion term).⁴⁵

While a π -stacked displaced configuration for a dimer of planar tetracenes is found to be stable, this observation does not explain why it is only certain rubrene derivatives that take on this kind of packing motif, which is prone to display enhanced charge-carrier transport properties. The question thus arises whether intermolecular interactions with other neighbors aid in planarization of the tetracene core. When we consider the average SAPTO intermolecular interaction energies for the four nearest molecular neighbors (three molecules within the *bc* plane and one along the *a* direction, see Figure 4 and Table S7), a similar degree of stabilization is obtained for each of the planar rubrene structures (1, 3, 5, 7, and 10); chemical substitution can, however, increase the magnitude of these stabilizing interactions compared to 1, e.g., 5 is 2 kcal mol⁻¹ more stable than 1 because of the larger electrostatic and dispersion contributions in the first coordination sphere of the fluorinated complex. These results are consistent with previous observations for a variety of fluorobenzenes⁴⁶ and multi-substituted benzene–benzene dimers.⁴⁷ While certain non-fluorinated rubrene derivatives can also π -stack (e.g., 1 and 10), the impact fluorination has on increasing the stabilizing electrostatic and dispersion interactions can be highlighted through a simple *in silico* experiment. For instance, see Table S7, starting with the crystal structure for 3 and replacing the fluorine atoms with hydrogen atoms (i.e., the molecules of 2 placed in the solid-state packing configuration of 3), a decrease of ca. 2 kcal mol⁻¹ is observed in the total intermolecular interaction energy of the interlayer rubrene-derivative dimer (dimer 1–5 in Figure 4); this total interaction energy decreases by 3 kcal mol⁻¹ if the $-\text{CF}_3$ groups are replaced by hydrogen atoms (i.e., the molecules of 1 placed in the solid-state packing configuration of 3). This 1–5 dimer in rubrene is twice as important as the other nearest-neighbor dimers in determining the lattice energy, because there are four equivalent 1–5 interactions in the first coordination sphere, compared with only two equivalent 1–2, 1–3, or 1–4 interactions. Overall, the interaction energy of 3 in the first coordination sphere is ca. 5 kcal mol⁻¹ more favorable than that of 2 in the packing configuration of 3 (Table S8).

Interestingly, while the dimer pair in (twisted) 2 (see Table 1) represents a stable interaction, the dimer configuration in (twisted) 4 is ca. 2–6 kcal mol⁻¹ more stable when compared

to the π -stacked dimer configurations of the planar crystal structures of **1**, **3**, **5**, **7**, and **10**. However, for **2** and **4**, the total interaction energies with the four nearest molecular neighbors are 13–14 kcal mol⁻¹ for **2** and 10–12 kcal mol⁻¹ for **4** smaller than in **1**, **3**, and **5**. Therefore, the smaller interaction energies of the π -stacked rubrene derivatives compared with the twisted dimer **4** are compensated by gains in the intralayer interactions; the interactions with the three unique intralayer neighbors are considerable (*ca.* -10 to -24 kcal mol⁻¹) resulting from the close packing (i.e., center-of-mass separation of <8 Å); however, for the twisted configurations, there is just a single unique molecular pair with a center-of-mass separation of ~8 Å. Interlayer interactions also play a role in stabilizing the interactions, though to a lesser extent. Intriguingly, even though the interlayer spacing expands due to functionalization on going from **1** (13.89 Å) to **3** (15.94 Å) and **5** (15.39 Å), the interaction energies fall within a small range from 2 to 4 kcal mol⁻¹. Overall, it is the strongly interacting set of close intralayer neighbors that is identified as the key to π -stacking of planar structures in rubrene derivatives; if the chemical substitutions reduce these stabilizing interactions, then the unfavorable intramolecular interactions lead to a twisted rubrene structure, as in **2** and **4**; a packing configuration is then taken in the solid state so as to maximize the interaction energy within at least one dimer pair.

To generalize these results, we investigated the herringbone-packed oligoacene series. In the oligoacenes, both the electronic couplings (0.19 to 2.21 kcal mol⁻¹) and exchange–repulsion terms (+5.20 to +11.98 kcal mol⁻¹) increase from naphthalene to pentacene due to increased wave function overlap (Table S9), a critical relationship that was described above. Interestingly, the oligoacenes appear to take on the tight, herringbone packing configuration in order to reduce the impact of the unfavorable exchange energy; for instance, in the case of tetracene, the exchange–repulsion energy is +9.74 kcal mol⁻¹ for the shortest contact distance in the herringbone crystal structure (2.90 Å), which can be compared to a considerably larger value of +28.74 kcal mol⁻¹ for a model cofacial dimer with a separation of 3.50 Å. Notably, there is also an increase in the stabilizing dispersion term with increasing acene length, from -7.35 kcal mol⁻¹ in naphthalene to -20.50 kcal mol⁻¹ in pentacene, as one might expect simply from the larger number of electrons (and hence the greater ability of the electron density to polarize) as the acene length increases. These results, underlining why the oligoacenes prefer to be arranged in the herringbone packing configuration, suggest that material chemists interested in designing tight, π -stacked molecular packing configurations for oligoacene-based molecules need to carefully consider the chemical derivatization necessary to control the noncovalent intermolecular interactions that will lead to such arrangements.

CONCLUSIONS

In this work, we detailed the nature of the noncovalent intramolecular interactions in rubrene that result in the isolated molecules being twisted. We have then uncovered the type of intermolecular interactions in the solid state that are critical to the formation of the planar, π -stacked structures, most susceptible to lead to efficient charge-transport properties.

The comprehensive analysis of these noncovalent interactions allows us to identify (at least some of) the key chemical aspects that can stabilize the planar rubrene conformation and replicate the advantageous packing demonstrated in unsub-

stituted rubrene. The quantum chemistry-based understanding presented here underlines that improved synthetic derivatization schemes to increase favorable noncovalent interactions have the potential to improve the materials performance of this benchmark molecular material, in particular, with regard to charge transport.

ASSOCIATED CONTENT

Supporting Information

Comparison of computed energy differences for the constrained-planar configurations and the optimized twisted geometries with various functionals; SAPT0/jun-cc-pVDZ values from all individual dimers from optimized twisted and constrained planar geometries with ω B97/cc-pVDZ; and SAPT0/jun-cc-pVDZ results for tetracene and diphenyl-substituted tetracene derivatives. The Supporting Information is available free of charge on the ACS Publications website at DOI: 10.1021/jacs.5b04066.

AUTHOR INFORMATION

Corresponding Authors

*chad.risko@uky.edu

*jean-luc.bredas@kaust.edu.sa

Notes

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